

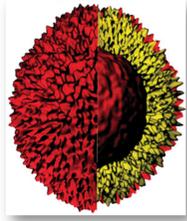
# Blast-Wave-Driven Rayleigh-Taylor Instability Growth in Low-Density-Contrast Systems: Experimental Results and Future Directions

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## Motivation

The Rayleigh-Taylor instability (RTI) causes fluid layers to interpenetrate and mix during supernovae explosions and inertial confinement fusion capsule implosions, ultimately affecting the outcome of these systems. Potential flow models predict two RTI growth phases: 1) a linear stage characterized by exponential growth, 2) a nonlinear stage where heavy-fluid spikes and light-fluid bubbles reach a terminal velocity and constant Froude number [1]. When the density contrast of the two fluids is small, numerical simulations show an unexpected re-acceleration and higher Froude number in the late nonlinear stage [2]. Our goal is to obtain experimental observations of RTI growth in this regime.



ICF capsule implosion [3]

### Classical model of single-mode RTI growth in nonlinear stage [1]:

RT growth rate:  $\gamma_{RT} = \sqrt{\frac{2\pi}{\lambda} A(t)g(t)}$

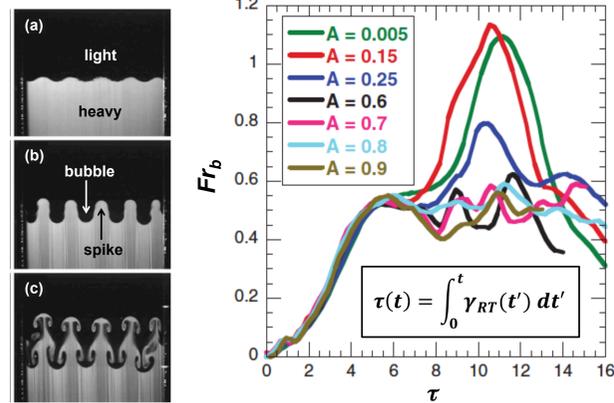
Atwood number:  $A = \frac{\rho_1 - \rho_2}{\rho_1 + \rho_2}$

Terminal velocity:  $u_{b,s} = \sqrt{\frac{Ag\lambda}{C\pi(1 \pm A)}}$

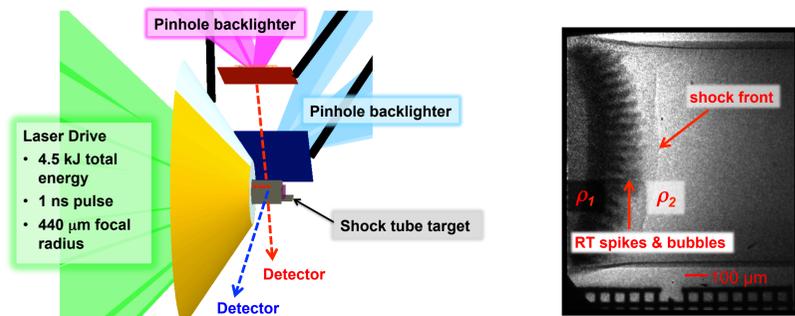
Constant Froude number:  $Fr_{b,s} = \frac{u_{b,s}}{\sqrt{\frac{Ag\lambda}{1+A}}}$

where  $b$ : bubble tip,  $C = \begin{cases} 3 & \text{for } 2D \\ 1 & \text{for } 3D \end{cases}$   
 $s$ : spike tip

$\rho_1$ : density of heavy fluid  
 $\rho_2$ : density of light fluid  
 $g$ : acceleration  
 $\lambda$ : perturbation wavelength

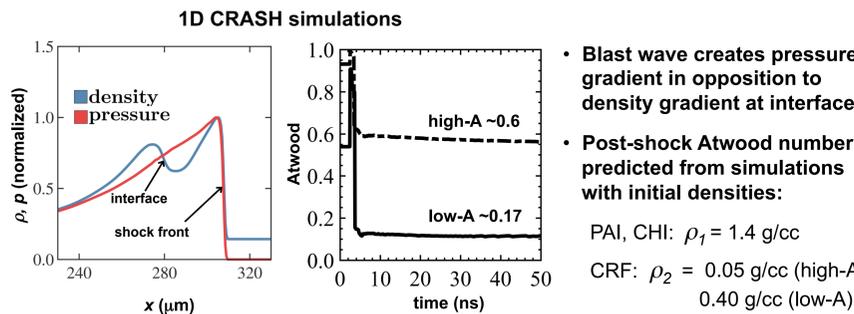
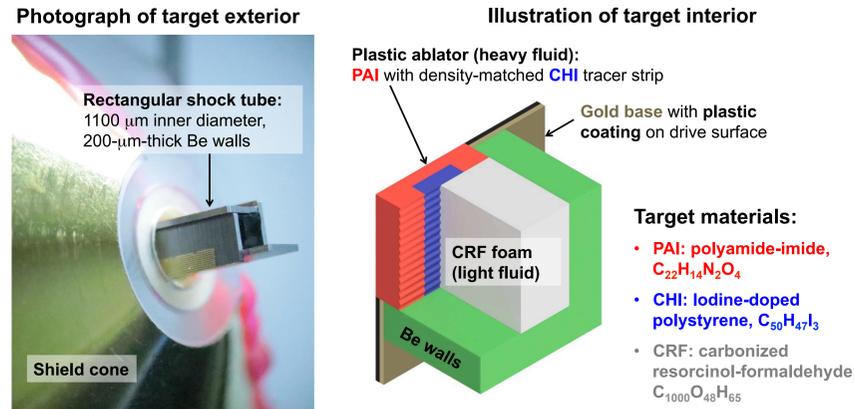


## Experimental Platform at Omega 60



- Laser beams create a blast wave that drives RTI growth at a planar interface between two materials of different densities inside a shock tube
- A series of X-ray radiographs along two orthogonal axes capture the evolution of the mixed fluid region

## Target Design



- Blast wave creates pressure gradient in opposition to density gradient at interface
- Post-shock Atwood number predicted from simulations with initial densities:  
 PAI, CHI:  $\rho_1 = 1.4 \text{ g/cc}$   
 CRF:  $\rho_2 = 0.05 \text{ g/cc (high-A)}$   
 $0.40 \text{ g/cc (low-A)}$

• 2D or 3D sinusoidal pattern machined at the interface seeds single-mode instability growth

with:

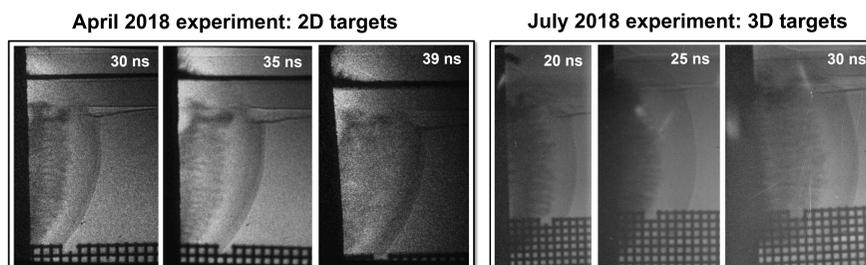
- $\lambda = 40 \mu\text{m}$
- $a_{2D} = 2 \mu\text{m}, a_{3D} = 1 \mu\text{m}$
- $a_{PTV} = 4 \mu\text{m}$  (2D and 3D)

- Both RTI and material decomposition contribute to growth of mixed region:

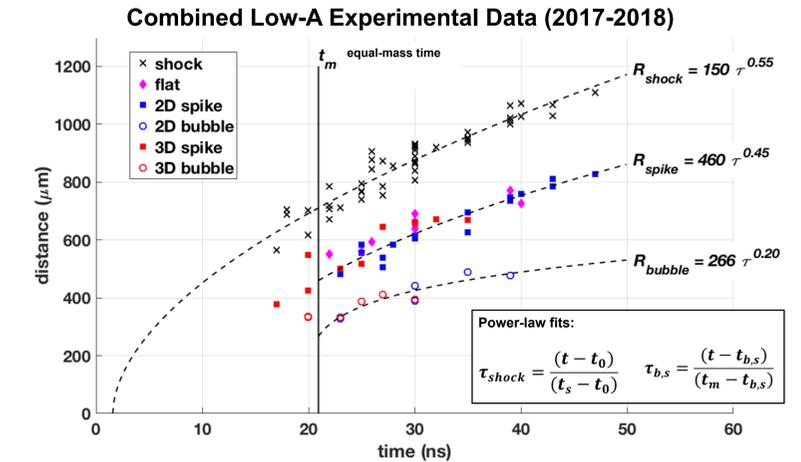
Bubble or spike height due to RTI growth: 
$$h_{b,s}(t) = R_{b,s}(t) - R_{int}(t) - \int_0^t (u_{b,s}(t') - u_{int}(t')) dt'$$

Labels: bubble or spike tip position, interface position, material decomposition

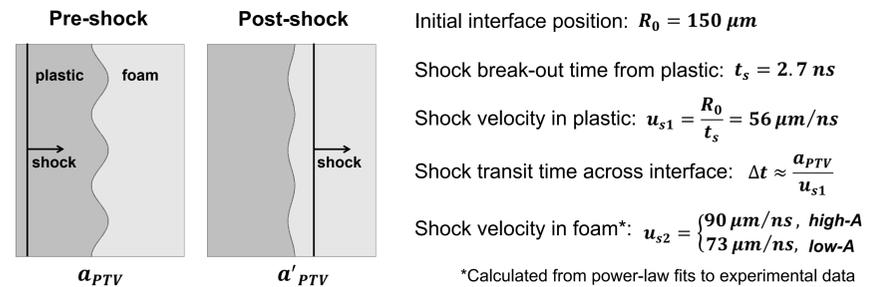
## Low-A Experimental Results



## Data Analysis



- Shock wave inverts and compresses initial modulation, prior to RTI growth phase [5]



Estimated post-shock peak-to-valley amplitude:  $a'_{PTV} \approx u_{s2}\Delta t - a_{PTV} = \begin{cases} 2.4 \mu\text{m, high-A} \\ 1.2 \mu\text{m, low-A} \end{cases}$

### Conclusions:

- After 25 ns, acceleration is negligible and material decomposition dominates
- Spike and bubble fronts converge for 2D, 3D, and "flat" targets, indicating loss of single-mode initial conditions
  - Post-shock amplitude of  $\lambda=40 \mu\text{m}$  mode is small for low-A design
  - Target imperfections (of comparable magnitude) could seed RTI growth with complex, multi-mode spectrum

## On-going and Future Work

- Refine simulations based on experimental results
- Analyze spectral content of radiography data
- Design experiment for NIF, which could drive single-mode RTI to later times

## References

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